

Back to $K^0 - \bar{K}^0$ CP violation

Chapter 2

$$K_1^0 \rightarrow \pi^+ \pi^-$$

$$K_2^0 \rightarrow \pi^+ \pi^- \pi^0$$

↑
have definite lifetimes

expect

$$\tau_1 < \tau_2$$

$$\uparrow$$

$$0.9 \cdot 10^{-10} \text{ s}$$

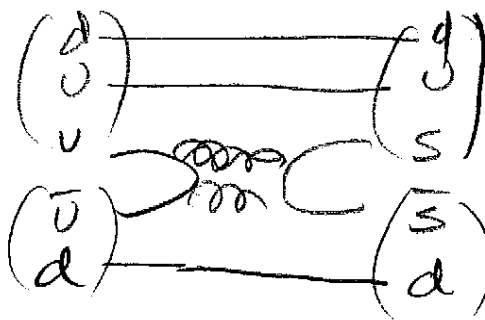
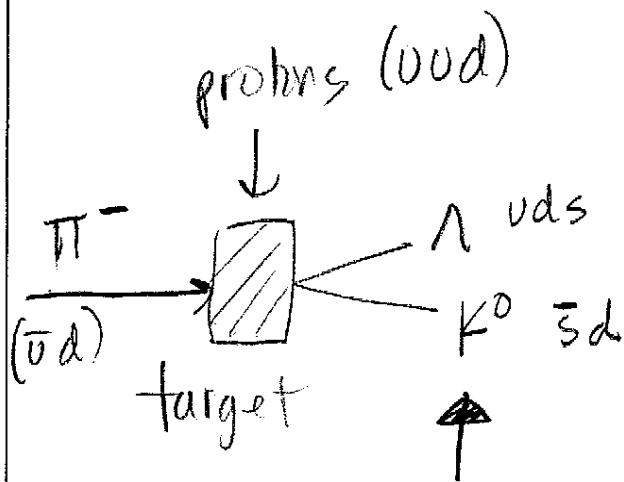
$$\uparrow$$

$$5.1 \cdot 10^{-8} \text{ s}$$

$$|\vec{p}^*| = 206 \text{ MeV}/c$$

$$|p_{\text{max}}^*| = 133 \text{ MeV}/c$$

often less (3-body)



$$K_1^0 = \frac{1}{\sqrt{2}} (K^0 - \bar{K}^0)$$

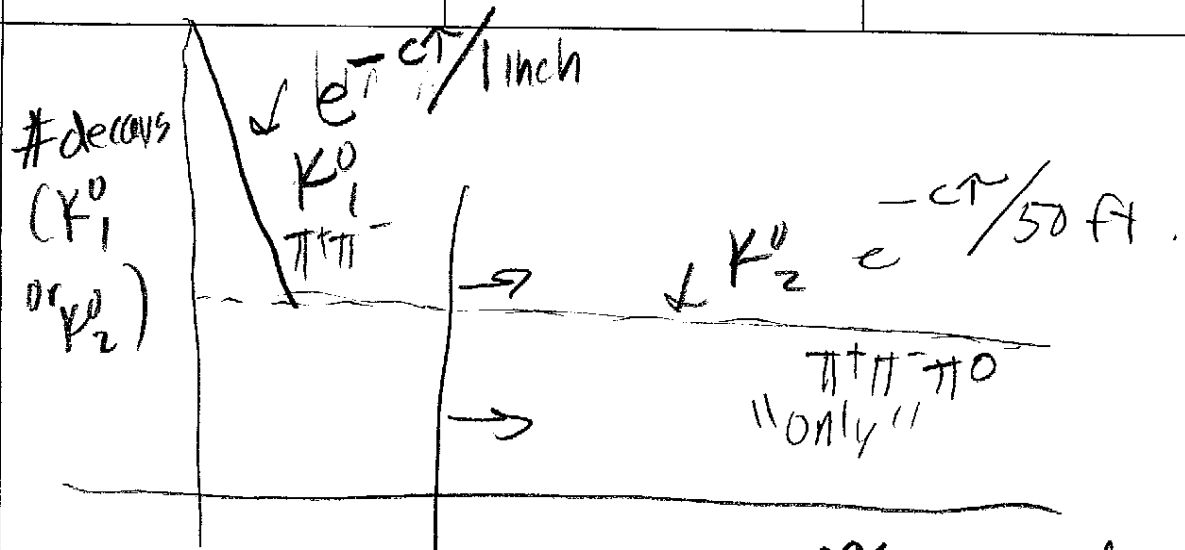
$$K_2^0 = \frac{1}{\sqrt{2}} (K^0 + \bar{K}^0)$$

$$\frac{1}{\sqrt{2}} (K_1^0 + K_2^0) = K^0$$

↑
lifetime
 $0.9 \cdot 10^{-10} \text{ s}$

$c\tau \approx 1 \text{ inch}$

$c\tau = 51 \text{ feet}$

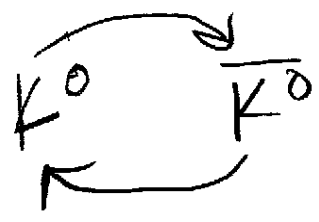


Like piano. "prompt" tone τ measured.
 "persistent" tone
 → look here for $K_2^0 \rightarrow \pi^+\pi^-$

Chapter 4

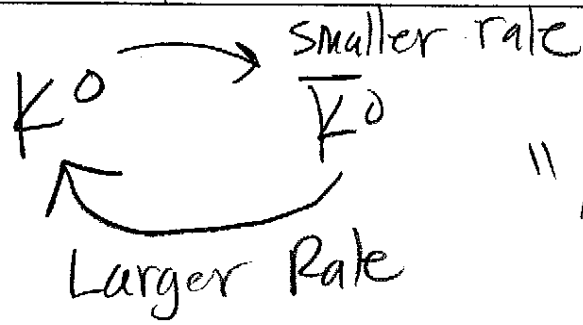
Done in 1964... $K_2^0 \rightarrow \pi^+\pi^-$
 (Cronin and Fitch, Nobel 1978)

Idea:



When rates equal
 eigenstates
 $|K_1^0\rangle, |K_2^0\rangle$

Turns out...



"Matter Accumulates"
of quarks.

How : must include decay aspect of Hamiltonian.

\tilde{H} in $K^0 - \bar{K}^0$ basis.

$$m_{K^0} c^2 - \frac{i}{2} \Gamma_{K^0}$$

$$\propto F^2 - \frac{i}{4} \Delta \Gamma + i t_{\text{top quark}}$$

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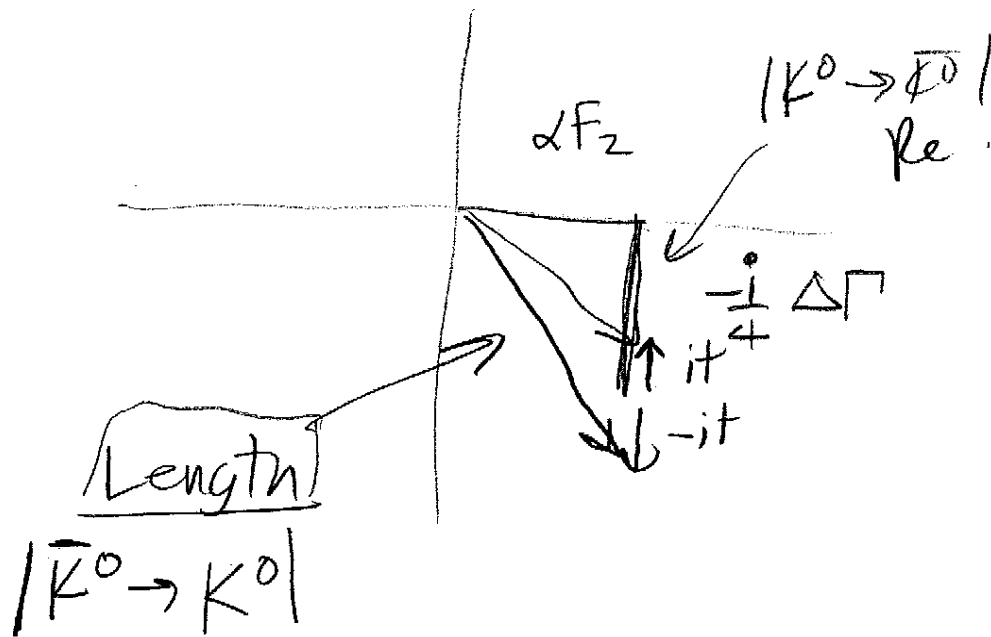
$$m_{K^0} c^2 - \frac{i}{2} \Gamma_{K^0}$$

"Probability \bar{K}^0 stays a \bar{K}^0 "

Lossless $K^0 \rightarrow \bar{K}^0 \rightarrow K^0$

K^0 unstable, its amplitude leaks away!
makes $\tau_1 \neq \tau_2$

Visually: Im Off diagonal



Rate of $\bar{K}^0 \rightarrow K^0$ exceeds that
of $K^0 \rightarrow \bar{K}^0$

"matter accumulates"

→ GOOD FOR THE UNIVERSE

→ CONNECTION TO MATTER-
DOMINATE UNIVERSE

NOT YET PROVEN.

→ Basic idea supported by
studies of $B^0 \rightarrow \bar{B}^0 \rightarrow B^0$
 $b\bar{d}$

→ Now $B_s^0, (D^0 = c\bar{s})$ studied too!

Bound States (1 Lecture, Chap 5)

Assume you know hydrogen

Hydrogen: tiny effectsFig 5.2

$$(1) T \neq \frac{p^2}{2m}$$

$$= \sqrt{(cp)^2 + (mc^2)^2} - (mc^2)$$

$$= mc^2 \left(1 + \frac{(cp)^2}{(mc^2)^2} \right)^{1/2} - mc^2$$

$$\approx mc^2 + \frac{mc^2 c^2 p^2}{2(mc^2)^2} + \frac{1}{2} \left(\frac{1}{2} \right) \left(-\frac{1}{2} \right) \frac{mc^2 (c^2 p^2)^2}{(mc^2)^4} - mc^2$$

$$= \frac{p^2}{2m} - \frac{p^4}{8m^3 c^4}$$

↑
overestimates

↑
pushes down
independent of L, s

$$(2) \vec{L} \cdot \vec{S}$$

$$\vec{J} = (\vec{L} + \vec{S})$$

makes $\vec{L} \cdot \vec{S}$ eigenstates out of \vec{J} eigenstates.

